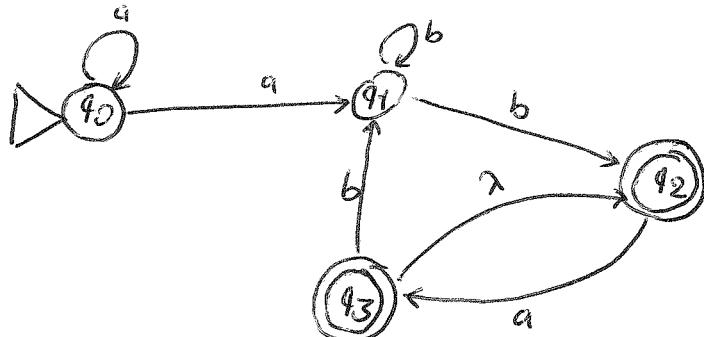


## Introduction to JFLAP

- \* Introduction: download the program from [www.jflap.org](http://www.jflap.org)  
To run the program
  - on windows, Mac: Double-click on JFLAP.jar
  - On Linux, windows, Mac: java -jar JFLAP.jar

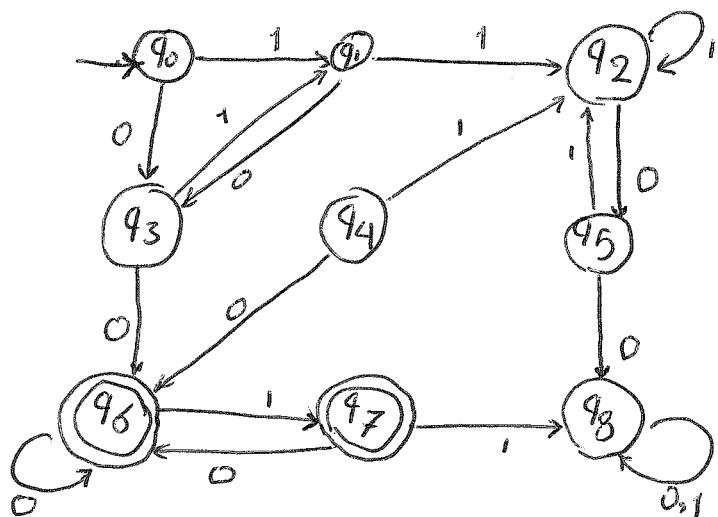
- 1) a) Select the 'Finite Automaton' button and make the following NFA.



- Tips:
- For making the initial/final state right-click on the state and select the appropriate option.
  - To have a  $\lambda$  transition leave the transition without any label.
  - Save the automaton using 'Save As' from 'Input' menu.
- b) Use each of the options in the 'Input' menu to check if following strings are accepted by the automaton:  
a, ab, abbab
  - c) Convert the automaton to DFA.
  - d) Minimize the DFA.
  - e) Check if the DFA is equivalent to the first NFA.
  - f) make the 'RE' which accepts the same language as the automaton in a) and d)
- 2) Convert the RE  $(\lambda a)b + b^* + cd$  to a NFA  
use ' $\lambda$ ' instead of  $\lambda$  in the editor.

3) Create the following Automaton.

a)



b) Save it with two names  $A_1$  and  $A_2$ . In  $A_2$  Change the initial state to  $q_2$ . Check if two automaton are equal. In  $A_1$  Chang the Initial state to  $q_5$  and  $q_8$  and check if two <sup>new</sup> automaton are equal? <sup>then</sup> what can you guess about the states of the minimized automata?

c) Use 'Multiple Run' from 'Input' menu to check if  $A_1$  and  $A_2$  are really accepting the same set of strings.

You can use following strings: {0, 000, 000100, 1110}

d) Minimize the automaton. and check if the resulting DFA is equal to the first DFA.

e) Compute the equivalent regular expression.

:: attention: In this Program there should be only one final state which is non-initial. Moreover you should first add all the  $\emptyset$  transitions between each two states which don't have a transition to the other (make the graph complete!).

4) Convert  $(a+\lambda)^* c + (dc)^+ d$  to a DFA