- A semantics specifies the meaning of sentences in the language. An interpretation specifies:
 - what objects (individuals) are in the world
 - $\bullet\,$ the correspondence between symbols in the computer and objects & relations in world
 - constants denote individuals
 - predicate symbols denote relations

An interpretation is a triple $I = \langle D, \phi, \pi \rangle$, where

- D, the domain, is a nonempty set. Elements of D are individuals.
- ϕ is a mapping that assigns to each constant an element of *D*. Constant *c* denotes individual $\phi(c)$.
- π is a mapping that assigns to each *n*-ary predicate symbol a relation: a function from D^n into {*TRUE*, *FALSE*}.

Constants: phone, pencil, telephone. Predicate Symbol: noisy (unary), left_of (binary).



- The domain *D* can contain real objects. (e.g., a person, a room, a course). *D* can't necessarily be stored in a computer.
- π(p) specifies whether the relation denoted by the *n*-ary predicate symbol p is true or false for each n-tuple of individuals.
- If predicate symbol p has no arguments, then $\pi(p)$ is either *TRUE* or *FALSE*.

A constant c denotes in *I* the individual $\phi(c)$. Ground (variable-free) atom $p(t_1, \ldots, t_n)$ is

- true in interpretation *I* if $\pi(p)(\langle \phi(t_1), \ldots, \phi(t_n) \rangle) = TRUE$ in interpretation *I* and
- false otherwise.

Ground clause $h \leftarrow b_1 \land \ldots \land b_m$ is false in interpretation I if h is false in I and each b_i is true in I, and is true in interpretation I otherwise.

In the interpretation given before, which of following are true?

 $\begin{array}{l} \textit{noisy(phone)} \\ \textit{noisy(telephone)} \\ \textit{noisy(pencil)} \\ \textit{left_of(phone, pencil)} \\ \textit{left_of(phone, telephone)} \\ \textit{noisy(phone)} \leftarrow \textit{left_of(phone, telephone)} \\ \textit{noisy(pencil)} \leftarrow \textit{left_of(phone, telephone)} \\ \textit{noisy(pencil)} \leftarrow \textit{left_of(phone, pencil)} \\ \textit{noisy(pencil)} \leftarrow \textit{noisy(telephone)} \land \textit{noisy(pencil)} \end{array}$

Example Truths

In the interpretation given before, which of following are true?

noisy(phone)	true
noisy(telephone)	true
noisy(pencil)	false
<i>left_of(phone, pencil)</i>	true
<i>left_of(phone, telephone)</i>	false
$noisy(phone) \leftarrow left_of(phone, telephone)$	true
$noisy(pencil) \leftarrow left_of(phone, telephone)$	true
$noisy(pencil) \leftarrow left_of(phone, pencil)$	false
$noisy(phone) \leftarrow noisy(telephone) \land noisy(pencil)$	true

- A knowledge base, *KB*, is true in interpretation *I* if and only if every clause in *KB* is true in *I*.
- A model of a set of clauses is an interpretation in which all the clauses are true.
- If KB is a set of clauses and g is a conjunction of atoms, g is a logical consequence of KB, written $KB \models g$, if g is true in every model of KB.
- That is, $KB \models g$ if there is no interpretation in which KB is true and g is false.

- Choose a task domain: intended interpretation.
- Associate constants with individuals you want to name.
- For each relation you want to represent, associate a predicate symbol in the language.
- Tell the system clauses that are true in the intended interpretation: axiomatizing the domain.
- Sk questions about the intended interpretation.
- **(**) If $KB \models g$, then g must be true in the intended interpretation.

- The computer doesn't have access to the intended interpretation.
- All it knows is the knowledge base.
- The computer can determine if a formula is a logical consequence of KB.
- If $KB \models g$ then g must be true in the intended interpretation.
- If KB ⊭ g then there is a model of KB in which g is false. This could be the intended interpretation.

Role of Semantics in an RRS

