

Advanced Data Management Technologies

Unit 20 — Distributed Hash Tables

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Outline

1 Introduction & Motivation

2 Linear Hashing

- Centralized Solution
- Distributed Solution

3 Consistent Hashing

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Locating Content in Distributed Systems

- An important issue in P2P applications is **content distribution**
 - Where to **distribute** the data and how to **locate** the data?
- Possible solutions for data/file sharing in P2P systems
 - **Central server**, e.g., Napster
 - Single point of failure and bottleneck
 - No central server, **network flooding**, e.g., Gnutella & Kazaa
 - Optimized to flood supernodes ... but it is still flooding

What is Wrong with Flooding?

- Some nodes are not always up and some are slower than others
 - Gnutella & Kazaa dealt with this by classifying some nodes as “supernodes” (called “ultrapeers” in Gnutella)
- Poor use of network resources
- Potentially high latency
 - Requests get forwarded from one machine to another
 - Back propagation (e.g., Gnutella design), where the replies go through the same chain of machines used in the query, increases latency even more
- Better access structures are needed to make P2P systems scalable!

Direct Access Structures

- For **point queries**, file scan becomes too expensive, and **direct access (or index) structures** are needed.
- **Index** on a collection C of data
 - Maps the key of each object in C to its (physical) address
 - A set of **pairs** (k, a) , where k is a key and a the address of an object
 - Object can be raw data, relational tuple, XML document, picture, video, etc.
- Index supports also
 - **range queries** if keys can be linearly ordered
 - $\text{range}(k_1, k_2)$ retrieves all keys (and their addresses) in that range
 - **nearest neighbor queries** if key space is associated to a metric (a distance function)
- Three main families of access structures:
 - **hash tables**: constant search complexity – $O(1)$
 - **search trees**: logarithmic search complexity – $O(\log N)$
 - **linear search**: linear search complexity – $O(N)$
- We are going to concentrate on **hash tables**

Distributed Hash-based Solutions

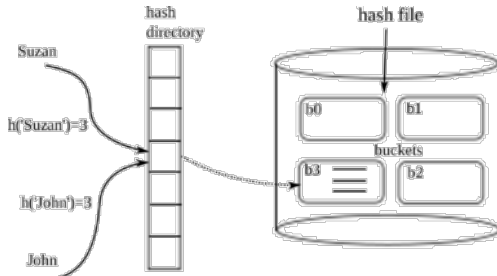
- Aim is to create a **peer-to-peer version of a (key, value) database**
 - **Distribute data** over a large P2P network
 - Quickly **find an item** in the P2P network
 - a peer queries the database with a key
 - the database finds the peer that has the value
 - that peer returns the (key, value) pair to the querying peer
- Make it **efficient!**
 - Avoid flooding
- Basic (dictionary) operations
 - insertion: `insert(k,v)`
 - key search: `v = search(k)`
 - deletion: `delete(k)`

Hash-based Index in Centralized DB

- **Hash file structure** for a data collection C consists of
 - a set of M **disk buckets** $\{b_0, b_1, \dots, b_{M-1}\}$ and
 - a memory-resident **directory** D , where D is an array with M cells, each referring to one of the buckets
- **Hash function** h determines the **placement of objects** in the M buckets
 - h maps each item $I \in C$ to the range $[0, M - 1]$
 - Item $I \in C$ is stored in bucket b_j if $j = h(I.A)$
 - A is sometimes called the hash field

- **Properties**

- Hash function should **uniformly** assigns objects to buckets
- M should be of the order $\lceil \frac{|C|}{\text{bucket size}} \rceil$
- Very **efficient for point queries**, but does not support range search.



Distributed Hash-based Index – Naive Solution

- **Naive** solution
 - assign each bucket of the hash file to one of the participating servers and
 - share hash function among all nodes
- Suppose servers S_0, \dots, S_{N-1} are available
- Hash function $h(key) = \bar{h}(key) \bmod N$, where \bar{h} maps the keys to integers.
- Assign each key with hash value i to server S_i
- If a server S_N is added, the hash function is modified to $h(key) = \bar{h}(key) \bmod (N + 1)$

Problems with Naive Solution

- Distributed systems are (highly) **dynamic**
 - Data sets evolve over time
 - Nodes are added and deleted
- If the hash function changes, the **hash value of most objects changes** too
 - Requires essentially a total rebuilding of the hash file
 - New function h has to be transmitted to all participants
 - During these changes, the old hash function is likely to result in an error (difficult to guarantee consistency)
- Hash directory (if stored centrally) provides a **bottleneck** as it needs to be accessed for each request

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Centralized Linear Hashing (LH)

- Goal
 - An efficient hash structure for a very **dynamic** collection of data
- Simple solution is to use **overflow buckets**
 - But problematic if there are many of them (linear scan!)
- Basic idea of (centralized) **linear hashing (LH)**
 - **Dynamic enlargement** of hash directory D and hash function h
 - **Reorganization** of buckets

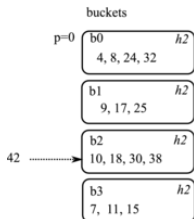
Insert in Centralized LH

- Insert a new data item: $\text{insert}(k, v)$
- Buckets b_0, \dots, b_{N-1}
- **Split pointer** p points to the bucket to be split next
 - Initially $p = 0$
- **Two hash functions** (h_n, h_{n+1}) are used:
 - h_n applies to the buckets b_p, \dots, b_{N-1}
 - h_{n+1} to all other buckets
- When a **bucket b overflows**, the following steps are done:
 - an overflow bucket is linked from b to store the new item
 - bucket b_p corresponding to p is split (typically diff. from overflow bucket!)
 - p is incremented by 1
- When (the last) **bucket b_{N-1} is split**, h_n is no longer used
 - Hash file **"switches"** to next level, i.e., hash functions (h_{n+1}, h_{n+2}) are used
 - p is reset to $p = 0$
 - (The number of buckets has doubled)

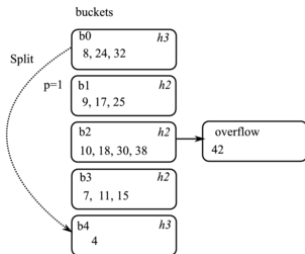
Example of Centralized LH

- Size of hash directory is 4, each bucket holds at most 4 objects
- Actual hash functions (h_2, h_3): $h_2(k) = k \bmod 2^2$, $h_3(k) = k \bmod 2^3$

- A new object 42 is inserted into bucket b_2



- A new bucket is added to b_2 ; bucket b_0 is split and h_3 applies to b_0 ; p is set to 1



- When b_3 is split ($p = 3$), h_3 applies to all buckets, hence the hash file moves to the next level: hash functions (h_3, h_4) and split pointer $p = 0$

Lookup in Centralized LH

- The two hash functions are (h_n, h_{n+1})
- Lookup(k)
 - $a = h_n(k);$
 - if** $(a < p)$ **then** $a = h_{n+1}(k);$
 - return** a

Properties of Centralized LH

- LH provides a **linear growth** of the file (one bucket at a time)
- Bucket that overflows is not split, but an overflow bucket is added
 - This bucket will eventually be split when the split pointer points to it
 - **Delayed management** of collision overflows
- A large part of the hash directory remains **unchanged** when the hash function is modified
 - Not many data need to be reorganized
 - In a distributed environment this avoids to resend the complete directory to the other nodes
- Similar to extendable hashing, where the hash directory grows not so gracefully (i.e., doubles when new hash values are needed)

Distributed Linear Hashing (LH^{*})/1

- Let
 - n be the hash file level,
 - (h_n, h_{n+1}) be the hash functions, and
 - p be the split pointer
- Assume servers S_0, S_1, \dots, S_N , where $2^n \leq N < 2^{n+1}$.
- Each **server** holds **one bucket**
- If server S_i **overflows**
 - Add an **overflow bucket** to S_i
 - Split (the bucket on the) server S_p .
 - Allocate a **new server** S_{N+1} to the hash structure
(might be the same physical server hosting several virtual servers)
 - Some objects are **transferred** from S_p to S_{N+1} .

Distributed Linear Hashing (LH^{*})/2

- LH^{*} does **not require resending entirely** the hash directory each time the hash function is modified or nodes are added/deleted
- Only the following **localization information** needs to be communicated:
 - **level n** that determines the pair of hash functions (h_n, h_{n+1}) currently in use
 - **current** split pointer p
 - **changes** of the hash directory
- If the number of peers grows rapidly, this might still be a lot of overhead.
 - More lightweight maintenance solutions are **desirable!**

Lazy Adjustment to Reduce LH* Maintenance Cost

- Each peer maintains a **local image** that records **partial information** about the distributed hash structure, i.e.,
 - n , p , and a **partial replication** of the hash directory D
- Local image might be **outdated** for several reasons:
 - Peer is temporarily **disconnected**
 - An **asynchronous replication** protocol is used
 - **Update is complex** and expensive if clients are frequently connected/disconnected
- A “**reasonably outdated**” image represents a good trade-off, provided that the client knows how to cope with **lookup errors** and outdated information.

Lookup in LH* with the Forward Algorithm

- Let k be the search key
- **Client**
 - Compute the bucket address a of k using the Lookup algorithm of LH
 - Send the request to server S_a
- **Server**
 - LH* server S_a checks whether it is indeed the right recipient by applying the **forward algorithm**
 - Attempts to find the correct hash value a' for k , using the local image
 - If a' is not the server address, the client made an addressing error due to an outdated local image
 - The request is then forwarded to server a'

Algorithm: Forward(a)

// j denotes the server level

$a' := h_j(k)$;

if ($a' = a$) **then**

 | k is in S_a ;

else

 | // $a' \neq a$

 | $a'' := h_{j-1}(k)$;

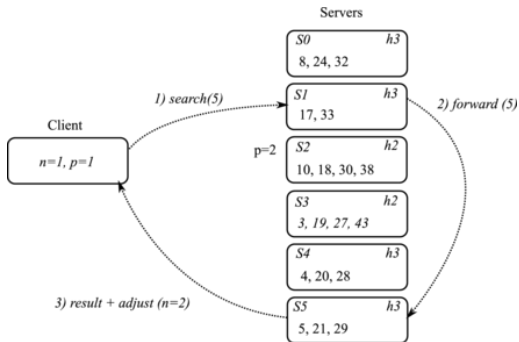
 | **if** ($a'' > a$ and $a'' < a'$) **then**

 | $a' := a''$;

 | Forward request to server $S_{a'}$;

LH* Lookup Example

- Client issues a request $\text{search}(5)$
 - Level is $n = 1$
 - Lookup computes the bucket address $a = h_1(5) = 5 \bmod 2^1 = 1$
 - The request is sent to server S_1
- Server S_1 receives Client request
 - S_1 is the last server that split, and its level is 3.
 - Hence, $a' = h_3(5) = 5 \bmod 2^3 = 5$
 - Since $a' \neq a$, the client made an addressing error
 - Compute $a'' = h_2(5) = 5 \bmod 2^2 = 1$
 - Since $a'' \neq a$, the request is forwarded to S_5 , where key 5 is found
 - Data and new value p is returned to the client



LH* Properties

- The number of messages to reach the correct server is 3 in the worst case.
- This makes the structure **fully decentralized** with one exception:
 - When a Server overflows, the exact value of p must be accurately determined, i.e., the server that splits (in order to split that server)
- This can be achieved by assigning a special role (**Master**) to one of the servers:
 - Keeps the value of p and informs the other nodes when necessary.
- Since this only happens during a split, the structure remains scalable.

LH* Lessons Learned

- A **relative inaccuracy** of the information maintained by a component is acceptable, if associated to a **stabilization protocol** that guarantees that the structure **eventually converges** to a stable and accurate state.
- In order to limit the number of messages, the “metadata” information related to the structure maintenance (local image) can be piggybacked with messages that answer Client requests.

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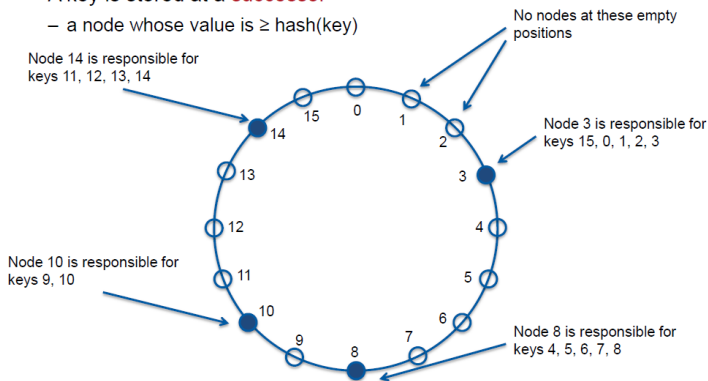
Consistent Hashing (CH)

- Each node (peer) is identified by an integer in the range $[0, 2^n - 1]$
- Each key is hashed into the **same** range $[0, 2^n - 1]$
- Arrange the peers in a **logical ring** (clockwise, incrementing IDs)
 - 0 is the successor of $2^n - 1$
- Each peer will be responsible for specific keys
 - A key is stored at the **closest successor** node
 - This is the first node whose $ID \geq \text{hash}(\text{key})$
- Very simple – a peer needs to know only of its successor and predecessor!
- **Chord** is one of the first DHT based on **consistent hashing**
 - Proposed as an index in P2P networks

Key Assignment

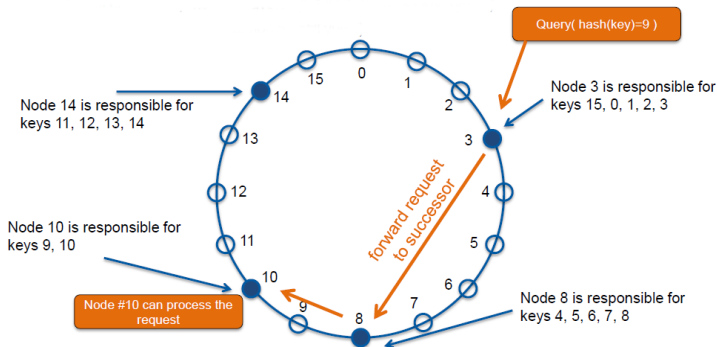
Example: $n = 16$, and four nodes are added so far.

- A key is stored at a **successor**
 – a node whose value is $\geq \text{hash}(\text{key})$



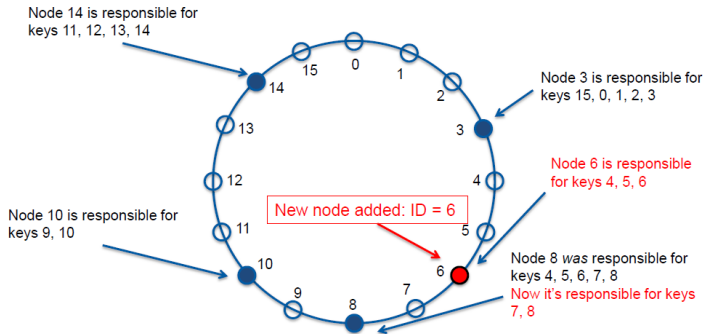
Handling Requests

- Any peer can get a request (insert or query).
- If the hash key is not in the peer's range of keys, the request is forwarded to the successor
- The process continues until the responsible node is found
 - Worst case: with p nodes, traverse $p - 1$ nodes – that's $O(N)$
 - Average case: traverse $p/2$ nodes (still not exciting!)



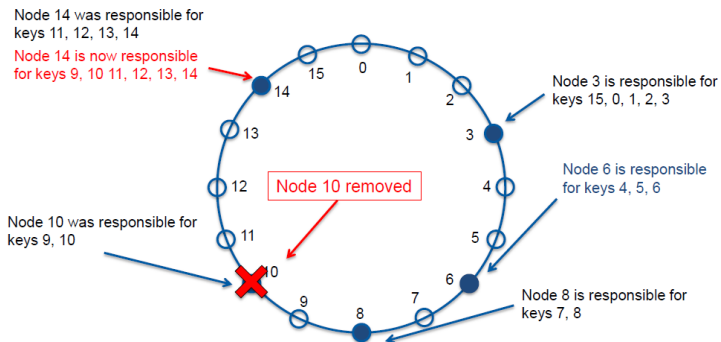
Adding/Joining a New Node

- Some keys that were assigned to a node's successor now get assigned to the new node.
- Data for those (*key, value*) pairs must be moved to the new node.



Removing a Node

- Keys are reassigned to the node's successor.
- Data for those (*key*, *value*) pairs must be moved to the successor.

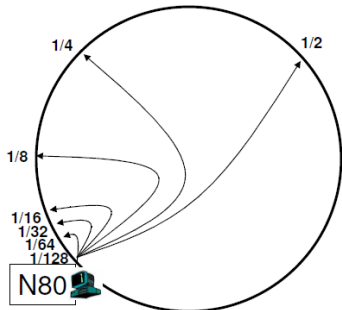


Performance

- We are not excited about an $O(N)$ lookup!
- A simple approach to get great performance would be:
 - All nodes know about each other (**index/node table**).
 - When a peer gets a query, it searches its index for the node that owns those values.
 - Gives us $O(1)$ performance
 - Add/remove node operations must inform everyone.
- Not a good solution if we have millions of peers (huge tables!)
 - Finger tables are a better solution

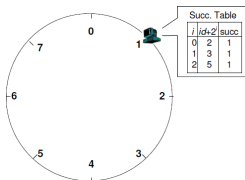
Finger Tables

- Each node stores a so-called finger table – compromise to avoid huge per-node tables
- **Finger table** is a partial list of successor nodes
 - The i -th entry in the finger table of a node n identifies the first node that succeeds or is equal $n + 2^i$.
 - `finger_table[0]`: 1st (immediate) successor
 - `finger_table[1]`: 2nd successor
 - `finger_table[2]`: 4th successor
 - `finger_table[3]`: 8th successor
 - In other words, the i -th finger points $1/2^{n-i}$ way around the ring

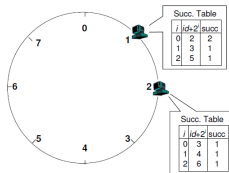


Join Example in Chord with Finger Table

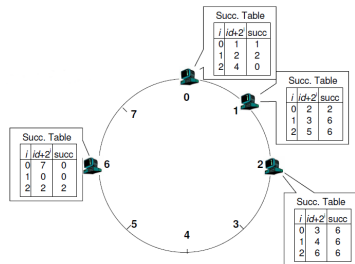
Node n_1 joins the network



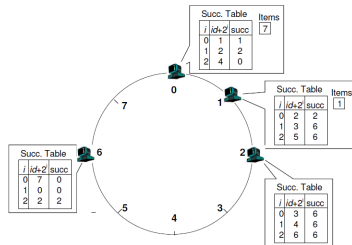
Node n_2 joins the network



Nodes n_0 and n_6 join the network



Item f_7 and f_1 are added



Lookup with Finger Table

Algorithm: Lookup(k)

Let n' be the ID of the local node;

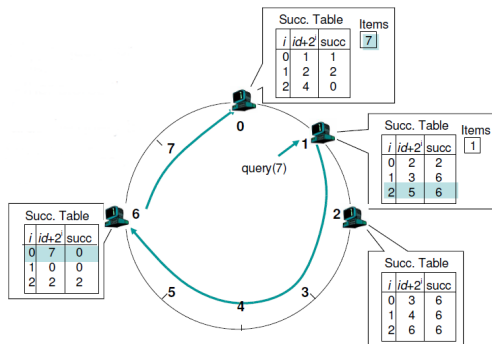
Look in finger table for the highest node n s.t. $n' < n < k$;

if n exists **then**

 | Call Lookup(k) on node n ;

else

 | **return** successor node;



Lookup Performance in Chord with Finger Table

- Finger table size: $\log N$ entries
- Lookup: $O(\log N)$ nodes need to be contacted to find the node that stores a key
 - With each hop you go $1/2$ the way towards the destination.
 - Not as cool as $O(1)$ but way better than $O(N)$!

Summary

- **Content location** and **fast access** to single content items are two important issues in P2P networks.
- Hash tables are well known for a constant search complexity in centralized databases.
- Aim is to use hash-based solution to distribute content in P2P systems – aka peer-to-peer version of a (*key, value*) database.
- **Linear hashing** and **consistent hashing** are two efficient solutions for P2P systems, which are characterized by dynamicity
 - peers are entering and exiting the network;
 - data is growing quickly.
- Chord is one of the first solutions based on consistent hashing for content distribution and indexing in P2P systems.